

The New Emission Trading System on Diffuse Emission in the European Policy Mix

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A new Emission Trading System on diffuse emissions

- Part of the EU's plan for carbon neutrality by 2050.
- Initiated by the European Commission in the 2018 Green Deal.
- Covers transport and building sectors (diffuse emissions).
- Aims for 44% emissions reduction by 2030 (compared to 2005).
- ETS2 operational in 2027, emission cap calculation in 2024.

Characteristics Inspired by ETS1

- Allowances based on 2024 emission levels, decreasing annually.
- Reduction rate: 5% annually.
- No risk of leakage: 100% auctioned permits.
- Delayed start possible if energy prices spike.
- Market Stability Reserve (MSR) to prevent extreme price hikes.

Market Stability Reserve (MSR) - 2027

Key Points:

- Starts with 600M allowances (in addition to cap)
- Purpose Stabilize prices by adjusting allowances.

Triggers:

- If Total Allowances in Circulation $< 210\text{M}$: Release 100M allowances.
- If Total Allowances in Circulation $> 440\text{M}$: Store 100M allowances in MSR2.
- Price $> \text{€}45/\text{t}$ (2 months): Release up to 40M allowances.
- Rapid price increase: 50M (2x price), 150M (3x price).

Limitations:

- Max 150M allowances/year.
- Delays in activating measures.

Risk of High Prices in ETS2

Price Estimates for 2030 (without complementary policies):

- €180/t (France, Germany, Poland) Jon Stenning et al. 2021.
- €174/t (France, Spain, Poland) Maj et al. 2021.
- €297/t (EU-wide) Rickels et al. 2023.
- €275/t (REMIND EU model) Pietzcker et al. 2021.

Price Estimates for 2030 (with complementary policies):

- Range: €175/t to €360/t Abrell et al. 2024.
- Price reductions with complementary policies: €71/t (PRIMES model) Günther et al. 2024.

Interaction with Effort Sharing Regulation-ESR

Key Points:

- Link to ESR: Same sectoral targets, but national budgets Abrell et al. 2024.
- New waterbed Effect: ETS2 and Annual Emission Allocations (AEA) prices should add up to a unified carbon price Görlach et al. 2022.

Disparities:

- Poorer countries exceed targets due to ETS2, wealthier countries rely on ESR Haywood et al. 2023.
- Southern/Eastern Europe as net sellers of ETS2 permits Rickels et al. 2023.

Importance of Complementary Policies:

- Limit inequalities and ensure ESR goals Günther et al. 2024.
- Example: California WCI shows 80% reliance on complementary policies Cullenward et al. 2016.

Impact on Households and Inequalities

Key Concerns:

- Inequalities: Higher cost burden for the poorer Hübler et al. 2024.
Significant concerns between and within countries Jacobs et al. 2022.
- Climate Social Fund (CSF): Redistributes revenue from 150M allowances (25%), but may be insufficient for full progressive redistribution Gore 2022.

Sector-Specific Effects of ETS2:

- Transport: Reduces regressivity of existing taxes Jacobs et al. 2022.
- Buildings: Redistribution struggles to offset costs for poorest tenants George et al. 2023.

Complementary Policies:

- Necessary to mitigate inequalities Görlach et al. 2022 and improve social acceptability Braungardt et al. 2021.

Literature Gaps

- Few academic studies focus on the ETS2 market, and even fewer use a microeconomic framework.
- Unclear interaction between ETS1 and ETS2.
- Limited analysis on ETS2's long-term social and economic impacts.
- Insufficient exploration of complementary policies to lower ETS2 prices.

Research Questions

- How will ETS2 influence household decarbonization choices?
- How will ETS2 interact with ETS1?

Methodology

Based on Eichner and Pethig (2019):

- Productive sector based on fossil fuel,
- Climate regulations with emission quotas,
- Substitution between carbonized and clean technologies.

Our Contributions:

- Endogenous fossil fuel production.
- Broader quotas across all sectors, integrating national policies.
- Final energy demand added, with substitution between electricity and fossil fuels.

Comparison with Model Extensions:

- Cournot competition between fuel and electricity producers.
- Two-country model, reflecting consumer and policy differences.
- Resistance to change: households' reluctance to shift to electricity.

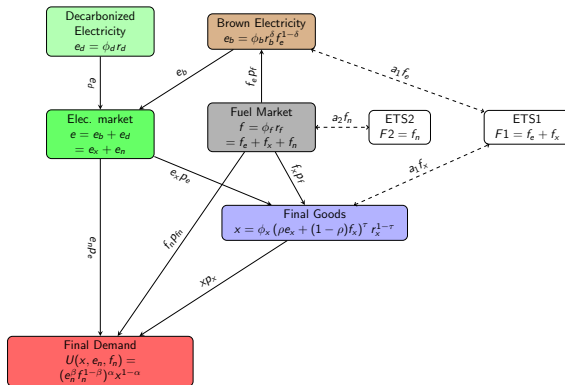
A reference model inspired by Eichner and Pethig (2019)

► Technologies

► Regulations

► demand

► Results



Schematic representation of the reference model

► Main variables

Productive Technologies

[► Main variables](#)[► Model](#)

- 2 productive technologies for Electricity production

$$e = \phi_d r_d + \phi_b r_b^\delta f_e^{1-\delta}$$

- A Composite good production

$$x = X(e_x, f_x, r_x) = \phi_x (\rho e_x + (1 - \rho) f_x)^\tau r_x^{1-\tau}$$

- A representative fossil fuel production
(Can be representative of coal, gas, oil, independent on final uses)

$$f = \phi_f r_f$$

Climate Regulations

[▶ Main variables](#)[▶ Model](#)

All fossil fuel used is capped, but with two different regulations:

- ETS 1: Caps and Targets electricity producers and Final good producers

$$F1 = f_e + f_x$$

- ETS 2: Caps fossil fuels final consumption but targets fossil fuel producers

$$F2 = f_n$$

$$\blacktriangleright f = f_n + f_e + f_x = F_1 + F_2 = F$$

Demand

► Main variables

► Model

- The utility $U(x, e_n, f_n)$ is increasing with their consumption of final goods, x , and of energy services. For the latter, each agent can either consume fuel, f_n or electricity e_n

$$\text{► } U(x, e_n, f_n) = (e_n^\beta f_n^{1-\beta})^\alpha x^{1-\alpha}$$

- It is assumed that consumers' original equipment enables them to purchase up to \bar{e}_n of electricity at the price p_e . More electricity can only be acquired by paying a fixed cost K

$$\text{s.c. } R = I_{[\bar{e}_n, \infty)}(e_n)K + p_e e_n + p_{fn} f_n + p_x x$$

Assumptions on Production

► Main variables

► Model

- **Assumption 1:** All productivity coefficients are constant and equal except for brown electricity:

$$\phi_d = \phi_f = \phi_x = \phi \quad \text{and} \quad \phi_b = z\phi$$

- **Assumption 2:** The price of the composite good taken as numeraire:

$$p_x = 1$$

- Profit functions simplified under these assumptions without loss of generalization.

Electricity Production Profit

► Main variables

► Model

$$\Pi_e = p_e \phi(r_d + z r_b^\delta f_e^{1-\delta}) - \bar{p}_r(r_d + r_b) - (p_f + a_1)f_e$$

■ First-order conditions yield:

$$\begin{aligned} p_e &= \frac{\bar{p}_r}{\phi}, \\ &= \frac{\bar{p}_r}{\phi z \delta r_b^{\delta-1} f_e^{1-\delta}}, \\ &= \frac{p_f + a_1}{\phi z (1 - \delta) r_b^\delta f_e^{-\delta}}. \end{aligned}$$

Fossil Fuel Production Profit

[► Main variables](#)[► Model](#)

$$\Pi_f = p_f(\phi r_f - f_n) + (p_{fn} - a_2)f_n - \bar{p}_r r_f$$

- First-order conditions yield:

$$p_f = \frac{\bar{p}_r}{\phi},$$

$$p_{fn} = \frac{\bar{p}_r}{\phi} + a_2,$$

$$\Rightarrow p_{fn} = p_f + a_2.$$

Final Goods Production Profit (with $p_x = 1$)

► Main variables

► Model

$$\Pi_x = \phi \left((\rho e_x + (1 - \rho) f_x)^\tau r_x^{1-\tau} \right) - p_e e_x - (p_f + a_1) f_x - \bar{p}_r r_x$$

■ First-order conditions yield:

$$\bar{p}_r = \phi(1 - \tau)(\rho e_x + (1 - \rho) f_x)^\tau r_x^\tau,$$

$$p_e = \phi \tau \rho (\rho e_x + (1 - \rho) f_x)^{\tau-1} r_x^{1-\tau},$$

$$p_f + a_1 = \phi \tau (1 - \rho) (\rho e_x + (1 - \rho) f_x)^{\tau-1} r_x^{1-\tau}.$$

Consumer's Problem

[► Main variables](#)[► Model](#)

$$\mathcal{L}_c = (e_n^\beta f_n^{1-\beta})^\alpha x^{1-\alpha} + \lambda (R - l_{[\bar{e}_n, \infty)}(e_n)K - p_e e_n - p_{fn} f_n - p_x x)$$

- From the first-order conditions, we derive:

$$x = \frac{p_e}{p_x} \frac{(1-\alpha)e_n}{\alpha\beta},$$

$$f_n = \frac{p_e}{p_{fn}} \frac{(1-\beta)e_n}{\beta},$$

$$e_n = \frac{p_{fn}}{p_e} \frac{\beta f_n}{1-\beta}.$$

Total Demand Functions

► Main variables

► Model

- Substituting back in the budget constraint, final demand functions derived:

$$\begin{aligned}x &= (1 - \alpha)(R - I_{[\bar{e}_n, \infty)}(e_n)K), \\f_n &= \frac{\alpha(1 - \beta)(R - I_{[\bar{e}_n, \infty)}(e_n)K)}{p_{fn}}, \\e_n &= \frac{\alpha\beta(R - I_{[\bar{e}_n, \infty)}(e_n)K)}{p_e}.\end{aligned}$$

Equilibrium Results

► Main variables

► Model

- At equilibrium, energy prices are equal:

$$p_f^* = p_e^* = \frac{\bar{p}_r}{\phi}$$

- Carbon prices on ETS1 and ETS2 differ:

$$a_1^* = \frac{\bar{p}_r}{\phi\rho} - \frac{2\bar{p}_r}{\phi} \neq a_2^* = \frac{\alpha(1-\beta)(R - l_{[\bar{e}_n, \infty)}(e_n^*)K)}{F_2} - \frac{\bar{p}_r}{\phi}$$

- a_1 depends on productivity (ϕ) and the share of fossil fuels (ρ) in production.
- a_2 depends on the energy price, substitutability, and quota F_2 .

Contribution and Next steps

A first model on ETS2 with consumer integration

- Including demand side changes the results of the literature,
- Carbon prices on ETS 1 and ETS 2 are different,
- Constraint on the demand side investment may necessitate complementary policies.

Future developments

- Comparative statics,
- To compare the results with the extended model,
- Numerical illustration.

Discussion

Thank You
for your attention.

Happy to answer your questions!

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Main Variables

► Method

e :	Electricity supply	f :	Fossil fuel supply	p_e :	Electricity price
e_d :	Decarb. electricity	f_x :	Fossil fuel for final goods	p_f :	Fossil fuel price for production
e_b :	Brown electricity	f_n :	Fossil fuel for consumption	p_{fn} :	Fossil fuel price for consumption
r_d :	input - decarb. electricity	f_e :	Fossil fuel for elec	p_x :	Final goods price
r_b :	Input for brown electricity	e_x :	Elec for final goods	R :	Consumer income
r_f :	Input for fossil fuel production	e_n :	Elec for consumers	a_1 :	Emission price on ETS1
r_x :	Input for final goods	x :	Total final goods	a_2 :	Emission price on ETS2

Results: Work in Progress

► Results

$e^* =$	$f^* = F = F_1 + F_2$
$e_d^* =$	$f_n^* = F_2$
$e_b^* =$	$f_x^* =$
$e_x^* =$	$f_e^* =$
$e_n^* = \frac{\phi \alpha \beta (R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}{\bar{p}_r}$	$x^* = \frac{(1 - \alpha)(R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}{(1 - \tau)(1 - \alpha)(R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}$
$r_b^* =$	$r_x^* = \frac{(1 - \tau)(1 - \alpha)(R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}{\bar{p}_r}$
$r_d^* =$	$r_f^* =$
$p_e^* = p_f^* = \frac{\bar{p}_r}{\phi}$	$p_{fn}^* = p_f^* + a_2^* = \frac{\alpha(1 - \beta)(R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}{F_2}$
$a_1^* = \frac{\bar{p}_r}{\phi \rho} - \frac{2\bar{p}_r}{\phi}$	$a_2^* = \frac{\alpha(1 - \beta)(R - l_{[\bar{e}_n, \infty)}(e_n^*) K)}{F_2} - \frac{\bar{p}_r}{\phi}$